

Number of Students: 14

Mid-Semester Examination

Maximum Marks: 60

Total Time: 2 Hours

Instructions: Answer Q.1, any two questions from Part A and any two questions from Part B. All questions of the same part must be answered together. Clearly state any reasonable assumption that you make.

Q1.

[5X4=20]

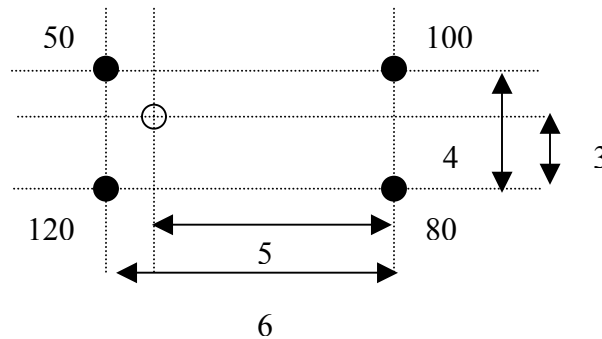
- Name one application of the image averaging operation. Explain how image averaging helps to remove noise in such images.
- Which type of spatial filter is best suited for the removal of salt-and-pepper noise in images and why?
- Explain the image acquisition technique used in capturing CAT scan images.
- Suggest one way of generating color histograms in the RGB color space from images. What is the number of histogram components in such a histogram?
- Which are the “safe RGB colors”? Why is it important to use only the safe colors in certain applications?

Part A

Q2.

[5+2+3=10]

- We want to generate a zoomed image from an original image. In the following figure, the four bold pixels belong to the original image and the non-bold pixel belongs to the zoomed image. Gray levels of the original pixels are 50, 100, 120 and 80. Pixel-to-pixel distances are shown using an arbitrary unit. Determine the gray level of the new pixel using Bi-linear Interpolation.



- For the binary image with pixel values shown below, mark the pixels that are m-adjacent to the underlined pixel.

```

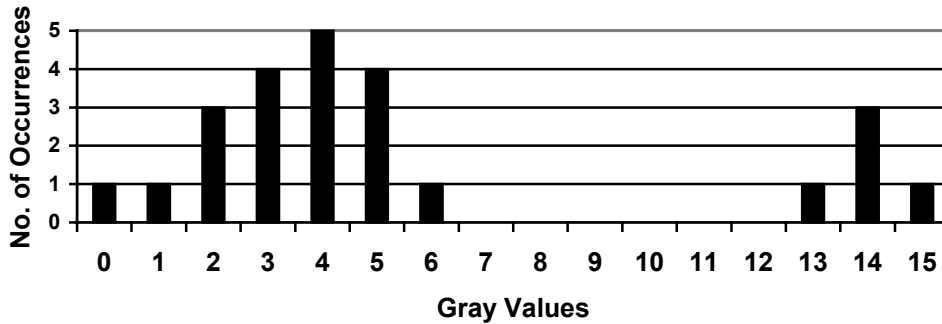
0 0 1 1
0 1 1 0
1 1 1 1
    
```

- Draw all possible digital paths between the top-right corner pixel to the bottom-left corner pixel of the same binary image considering m-adjacency.

Q3.

[10]

Consider a gray-scale image with the following histogram. Plot the histogram generated after performing histogram-equalization transformation on the image.



Q4.

[5+5=10]

Consider an area in an image having the following gray levels:

9	10	10
8	4	10
10	8	9

- If we apply a 3×3 median filter for smoothing the above image, what would be the output gray levels? From the output, comment on the effectiveness of the median filter.
- For the same image shown above, show the output of a Laplacian filter. You need to consider horizontal, vertical and diagonal differences.

Part B

Q5.

[1+3+3+3=10]

- Define the Fourier Transform of a continuous function $x(t)$, $-\infty < t < \infty$
- Obtain Discrete Fourier Transform (DFT) for a finite sequence $x(n)$, $n=0, 1, 2, \dots, N-1$ from the above expression (Refer Q. 5a).
- Explain why there exist different types of Discrete Cosine Transform (DCT) of a finite sequence.
- Express type-II DCT of an image (of size $M \times N$) in the form of matrix multiplication.

Q6.

[4+4+2=10]

- Give examples of a set of orthogonal basis vectors and a set of non-orthogonal basis vectors in 2-D. Justify your answer.
- Compute Haar Transform efficiently for the following input sequence (of length 16).
1, 2, -3, -4, 5, 6, -7, -8, 9, -10, -11, 12, -13, -14, 15, 16
- Explain why Haar Transform provides multi-resolution representation of signals and images.

Q7.

[5+2+3=10]

- Describe an algorithm for image sharpening using DFT and IDFT. Identify the parameters affecting the sharpening operation in your algorithm.
- Extend your algorithm (Refer Q. 7a) to color images.