

Mobile Computing #MC06 Broadcast

CS60002: Distributed Systems
Winter 2006-2007

Today

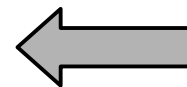
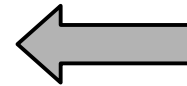
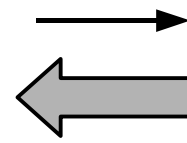
- ✓ Device databases
 - Flash, OR/direct
- ✓ Synchronization
 - Algorithms
- ✓ Push/notifications
 - Scale to MM
- × Handheld design
 - CPU, RTOS, battery
- × Core Mobile Apps
 - Email/IM, PDA, browse
- ✓ IP Protocols
 - IMS
- Broadcast
 - Algorithms
- Device Management
 - Software & Config

Agenda

- Asymmetric Communication
 - Definition, reasons, examples
- Broadcast
 - Protocols
 - Commercial products
- Algorithms for Broadcast Communication
- Reading Assignment

Asymmetric Communication

- What?
 - Server ==> Mobile
 - Mobile --> Server
- Why?
 - Shared medium
 - Power + secrecy
 - Regional
 - Application
 - Shared interests
 - Urgency



Broadcast

- Asymmetric
 - $(S \implies C)$ only
 - No $(C \rightarrow S)$ at all!
 - Except for stats
- Errors
 - Block erasures
- Timing
 - Clients are not synchronized



Products and Protocols

- Radio
 - AM, FM
 - HD Radio
- TV
 - NTSC/PAL, dNTSC
 - DVB-T/DVB-H
 - DMB/MediaFlo
- DVR/PVR
 - Tivo, MythTV
- Cell Broadcast
 - aka CBS, SMS-CB
- Datacasting
 - IPDC in DVB-H
 - UDcast from INRIA

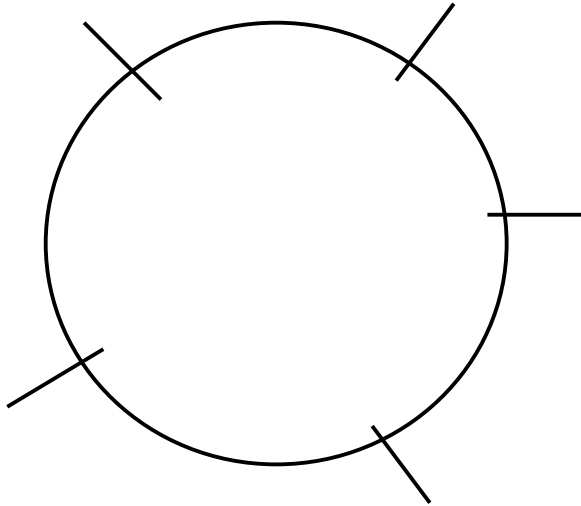
Live vs. Off-line

- Live Broadcast
 - Radio, TV, CB Radio,
 - News, weather, traffic, stocks,
 - Typically used only for streaming media
- Broadcast of on-demand content
 - MovieBeam, Top Up TV
 - DVR/PVR (e.g., TiVo)
 - Idle screen on mobiles (e.g., CellTick.com)

Rest of this lecture ...

- Focus of one problem
 - Efficient, error-correcting broadcast
- Restrictions
 - Server broadcasts BLOBs to MM clients
 - Zero feedback from clients to server
 - Each client starts listening at time of its choosing
 - Each client drops an arbitrary subset of packets
- Parameters
 - Communication overhead
 - Encoding and decoding efficiency

Clients listen at different times



- Different start times
 - e.g., User choice
- Different interruptions
 - e.g., Coverage
- Option: Loop
 - Wastes bandwidth
 - Wait for last piece
- Better solution?

Clients drop packets

0	1	0	0	1	1	0	1	1	0	0	0	1	1	0	1	1	0	1	0	0	1	0	0
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0	1	0					0	1	1	0	0	0	1					1	0	1	0	0	1	0	0
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0	1	0	0	1					1	1	0	0			1	1	0	1					1	0	0	1	0	0
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- Different clients drop different packets

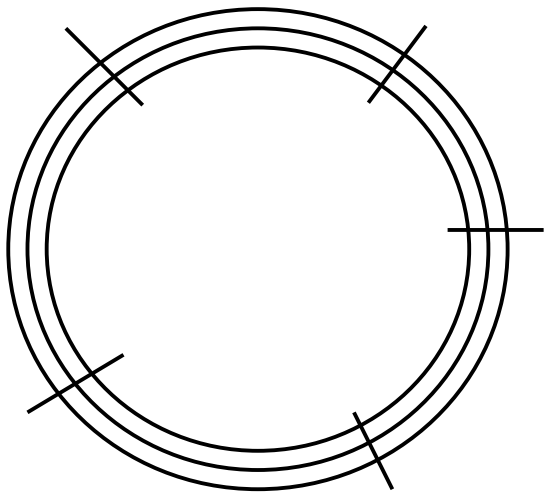
- (e.g., dead spots in coverage, lifts)

(BTW, typically, packets will be bigger than single bit)

Requirements

- Bandwidth efficiency
 - But, should support large stretch factors
- Time independent
 - Independent start times, resilient to interrupts
- Time efficient
 - Avoid long waits for the last packet
- Computationally efficient
 - Especially for decoding on mobiles
- Scalable

Data Carousel/Broadcast Disk



- Broadcast packets in loop
 - Inefficient use of bandwidth
 - But, often app requires it
- Clients listen till last packet
 - Schedule saves power
 - But not time
- Multiple tracks+redundancy
 - Saves time

Erasure Codes

- Type of forward error correcting (FEC) codes
 - Server pads data with redundancy
 - Client reconstructs data from partial reception
- Encode message
 - From k blocks into $k+l$ blocks
 - Original recovered from any k' blocks
- Rate is $(k+l)/k$
 - Measure of bandwidth efficiency

Erasure Codes (contd.)

- Rateless erasure codes
 - Rate $(k+l)/k$ not fixed a priori
 - Keep adding more packets as needed
- Optimal erasure codes
 - $k' = k$
- Near optimal erasure codes
 - $k' = (1+\epsilon)k$

Reed-Solomon Codes

- Optimal erasure code
 - But not (yet) computationally efficient
- How does it work?
 - Data = coefficients of a polynomial of degree $k-1$
 - $a_0 + a_1x + a_2x^2 + \dots + a_{(k-1)}x^{(k-1)}$
 - Encode data as values of polynomial at $(k+1)$ points
 - Client receives any k values
 - Solves system of equations to recover a_0 thru $a_{(k-1)}$

Reed-Solomon Codes

- Optimal
 - Any k blocks can be used to recover original k
 - But, fixed rate (not rateless)
- Computationally challenging
 - Practical considerations enforce small coefficients
 - Decoding solves large system of equations
 - And these systems are not sparse

Reed Solomon Codes

- Reading assignment
 - Required
 - “Encoding/decoding Reed Solomon codes”, Matache
<http://www.ee.ucla.edu/~matache/rsc/slide.html>
(The slides on decoding are optional)
 - Optional
 - “Reed-Solomon Codes”, Bernard Sklar
PDF posted at course website.
(This is good reference material as you read Matache.)

Tornado Codes

- Near Optimal
 - Need $(1+\epsilon)k$ blocks to construct original k
 - Encoding complexity proportional to $-\log(\epsilon)$
 - But, requires fixed rate (not rateless)
- Brief sketch
 - (Please take notes from blackboard)
- Reading assignment (Optional)
 - Byers, et al 1998 (Omit Sections 6 & 7)

LT Code

- Near Optimal and rateless
 - Need $(1+\epsilon)k$ blocks to recover k
 - Need not fix rate ahead of time
- Brief sketch
 - (Please take notes from blackboard)
- Reading assignment (Optional)
 - Byers et al, 2002 (Sections I thru VI only)

Recap

- Asymmetric Communication
 - $S \implies C, C \dashrightarrow S$
- Broadcast
 - Rate: Ratio of broadcast size to content size
 - Optimal: Does it suffice to receive only content size
- Encodings for Broadcast Communication
 - Reed-Solomon, Tornado, LT
- Reading Assignment
 - Reed-Solomon (required), Tornado & LT (optional)