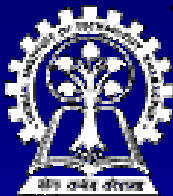


Logic Programming: Prolog

Course: CS40002

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Basics

- The notion of instantiation

likes(harry, school)

likes(ron, broom)

likes(harry, X) :- likes(ron, X)

- Consider the following goals:

?- likes(harry, broom)

?- likes(harry, Y)

?- likes(Z, school)

?- likes(Z, Y)

Family Tree Example

offspring(Y, X) :- parent(X, Y).

mother(X, Y) :- parent(X, Y), female(X).

grandparent(X, Z) :-
parent(X, Y), parent(Y, Z).

sister(X, Y) :- parent(Z, X), parent(Z, Y),
female(X), different(X, Y).

predecessor(X, Z) :- parent(X, Z).

predecessor(X, Z) :-
parent(X, Y), predecessor(Y, Z).

Monkey and Banana Example

- There is a monkey at the door of a room.
- In the middle of the room a banana hangs from the ceiling. The monkey wants it, but cannot jump high enough from the floor.
- At the window of the room there is a box that the monkey can use.

Monkey and Banana Example

- The monkey can perform the following actions:
 - ◆ Walk on the floor
 - ◆ Climb the box
 - ◆ Push the box around (if it is beside the box)
 - ◆ Grasp the banana if it is standing on the box directly under the banana
- We define the state as a 4-tuple:
(monkey-at, on-floor, box-at, has-banana)

The program

The order of the rules is important (Why?)

```
move( state( middle, onbox, middle, hasnot ),  
      grasp, state( middle, onbox, middle, has)).
```

```
move( state( P, onfloor, P, H ),  
      climb, state( P, onbox, P, H )).
```

```
move( state( P1, onfloor, P1, H ),  
      push( P1, P2 ), state( P2, onfloor, P2, H)).
```

```
move( state( P1, onfloor, B, H ),  
      walk( P1, P2 ), state( P2, onfloor, B, H )).
```

The program

```
canget( state( _, _, _, has )).
```

```
canget( State1 ) :-
```

```
    move( State1, Move, State2 ),
```

```
    canget( State2 ).
```

```
?- canget(
```

```
    state( atdoor, onfloor, atwindow, hasnot )).
```

Lists

- Lists can be written as:

[Item1, Item2, ...]

or [Head | Tail]

or [Item1, Item2, ... | Others]

$[a, b, c] = [a \mid [b, c]] = [a, b \mid [c]] = [a, b, c \mid []]$

- Items can be lists as well –

[[a,b], c, [d, [e,f]]]

Head of the above list is the list [a,b]

List examples

Membership:

`member(X, [X, Tail]).`

`member(X, [Head, Tail]) :-`

`member(X, Tail).`

Concatenation:

`conc([], L, L).`

`conc([X | L1], L2, [X | L3]) :-`

`conc(L1, L2, L3).`

List examples

Adding in front:

```
add( X, L, [X | L] ).
```

Deletion:

```
del( X, [X | Tail], Tail ).
```

```
del( X, [Y | Tail], [Y | Tail1] ) :-
```

```
del( X, Tail, Tail1).
```

List examples

Sublist:

```
sublist(S, L) :- conc(L1,L2,L), conc(S,L3,L2).
```

Permutation:

```
permutation( [], [] ).
```

```
permutation( [X | L], P ) :-
```

```
    permutation( L, L1 ), insert( X, L1, P ).
```

or

```
permutation( [], [] ).
```

```
permutation( L, [X | P] ) :-
```

```
    del( X, L, L1 ), permutation( L1, P ).
```

Arithmetic and Logical operators

- We have +, -, *, /, mod
 - ◆ The “is” operator forces evaluation
 - ◆ ?- X is 3/2. – will be answered by X=1.5
- We have
 - ◆ $X > Y$, $X < Y$, $X \geq Y$, $X \leq Y$
 - ◆ $X ::= Y$ – X and Y are equal
 - ◆ $X \neq Y$ – X and Y are not equal

Examples

- GCD of two numbers

`gcd(X, X, X).`

`gcd(X, Y, D) :-`

`X < Y, Y1 is Y - X, gcd(X, Y1, D).`

- Length of a list

`length([], 0).`

`length([_ | Tail], N) :-`

`length(Tail, N1), N is 1 + N1`

Eight Queens Problem

solution(Queens) :-

permutation([1,2,3,4,5,6,7,8], Queens),
safe(Queens).

permutation([], []).

permutation([Head | Tail], Permlist) :-

permutation(Tail, PermTail),
del(Head, Permlist, PermTail).

Eight Queens Problem (Contd.)

safe([]).

safe([Queen | Others]) :-

safe(Others), noattack(Queen, Others, 1).

noattack(_, [], _).

noattack(Y, [Y1 | Ylist], Xdist) :-

$Y1 - Y \neq Xdist, Y - Y1 \neq Xdist,$

Dist1 is Xdist + 1, noattacks(Y, Ylist, Dist1).

Cuts – for controlling backtracking

$C :- P, Q, R, !, S, T, U.$

$C :- V.$

$A :- B, C, D$

$?- A$

- Backtracking within the goal list P, Q, R
- As soon as the cut is reached:
 - ◆ All alternatives of P, Q, R are suppressed.
 - ◆ The clause $C :- V$ will also be discarded
 - ◆ Backtracking possible within S, T, U .
 - ◆ No effect within $A :- B, C, D$, that is, backtracking within B, C, D remains active.

Examples

- Finding the maximum of two numbers

If $X \geq Y$ then $\text{Max} = X$, otherwise $\text{Max} = Y$.

```
max( X, Y, X ) :- X >= Y, !.  
max( X, Y, Y ).
```

- Adding an element into a list without duplication

```
add( X, L, L ) :- member( X, L ), !.  
add( X, L, [X | L] ).
```

Negation as failure

- Frodo likes all jewellery except rings

likes(frodo, X) :- ring(X), !, fail.

likes(frodo, X) :- jewellery(X).

- The “different” predicate:

different(X, X) :- !, fail.

different(X, Y).

Quicksort

`quicksort([], []).`

`quicksort([X | Tail], sorted) :-`

`split(X, Tail, Small, Big),`

`quicksort(Small, SortedSmall),`

`quicksort(Big, SortedBig),`

`conc(SortedSmall, [X | SortedBig], Sorted).`

Quicksort

```
split( X, [], [], [] ).
```

```
split( X, [ Y | Tail ], [ Y | Small ], Big ) :-  
    gt( X, Y ), !, split( X, Tail, Small, Big ).
```

```
split( X, [ Y | Tail ], Small, [ Y | Big ] ) :-  
    split( X, Tail, Small, Big ).
```